

Path Attenuation Estimates for the DPR

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1. NASA/GSFC

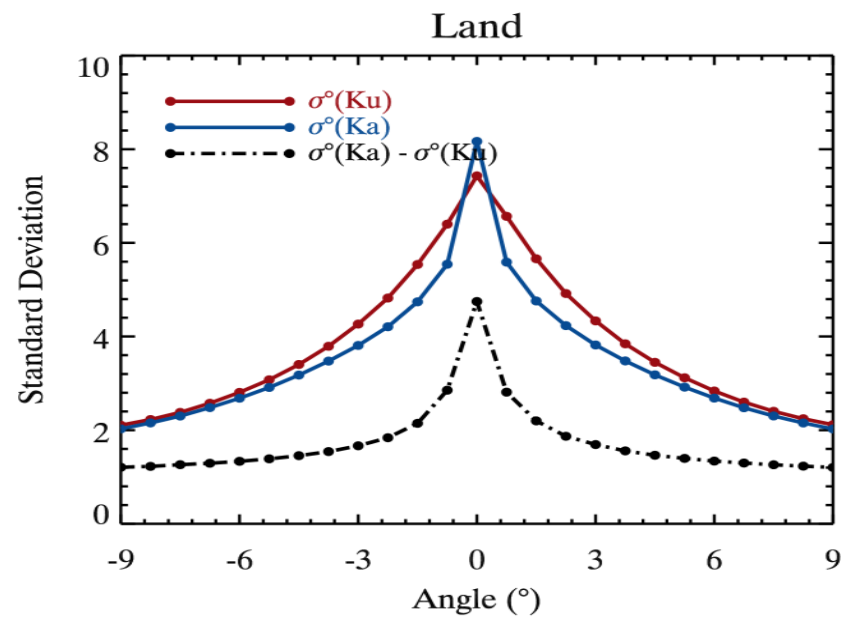
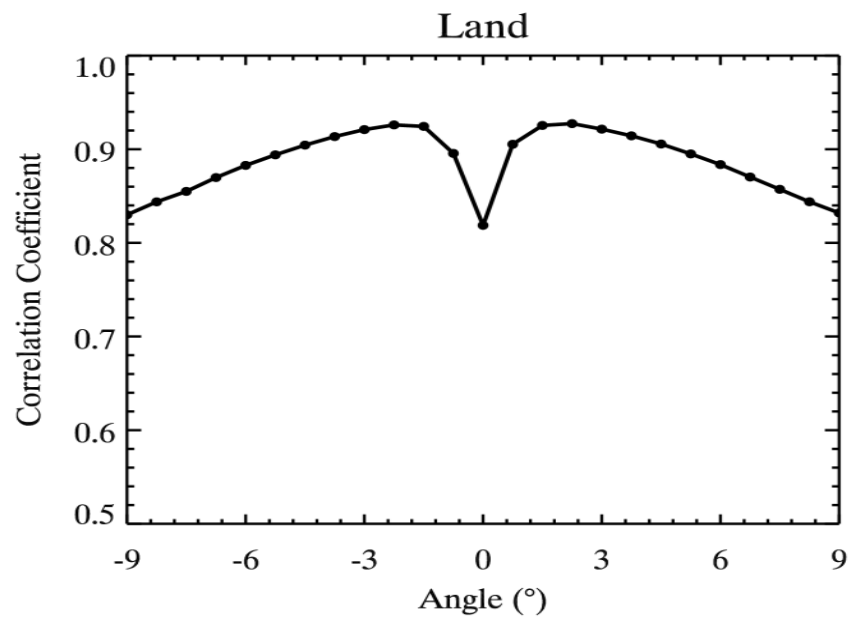
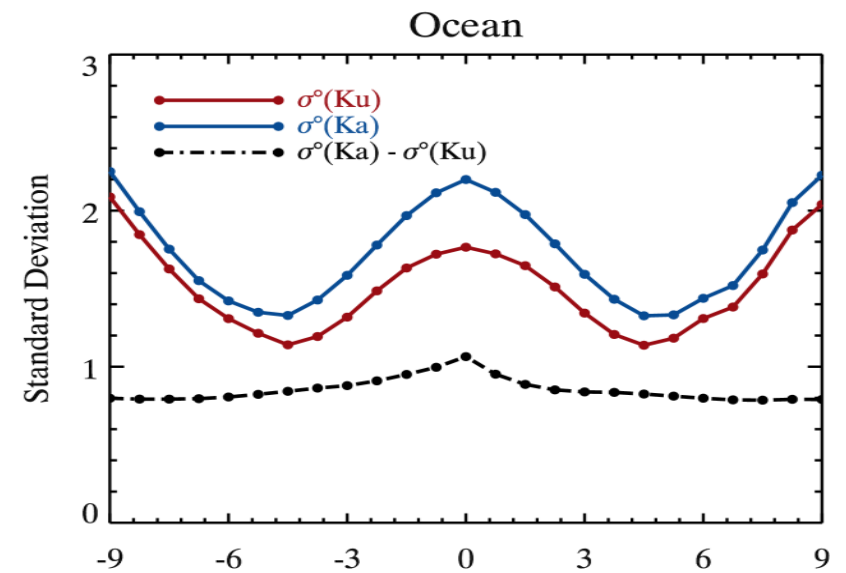
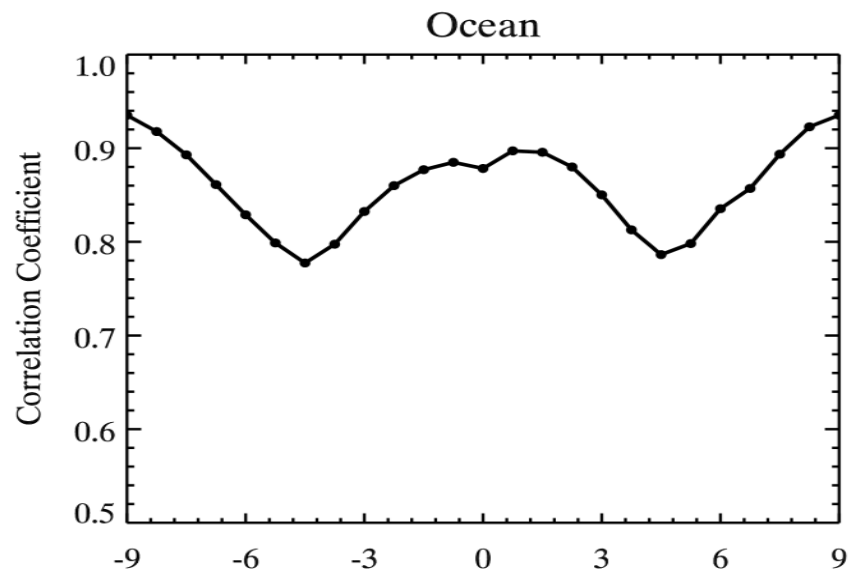
2. Morgan State University

Outline

- Overview
- Issues, algorithm improvements
- Summary

Overview

- Results suggest that the dual-frequency version of the SRT is more accurate than its single-freq counterpart
 - Accuracy of estimate is directly related to variance of reference data
 - Variance of $[\sigma^0(\text{Ka}) - \sigma^0(\text{Ku})]$ is smaller than the variance of either $\sigma^0(\text{Ka})$ or $\sigma^0(\text{Ku})$ alone by virtue of the relatively high correlation coefficient $\rho(\sigma^0(\text{Ka}), \sigma^0(\text{Ku}))$
 - Using different independent reference data sets, we find that correspondence between the various δA estimates is better than that between the various $A(\text{Ku})$ or $A(\text{Ka})$ estimates

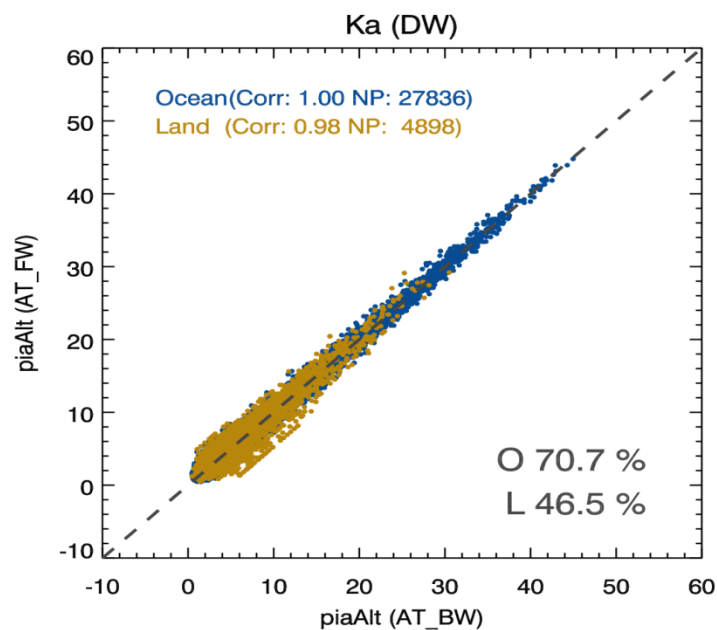
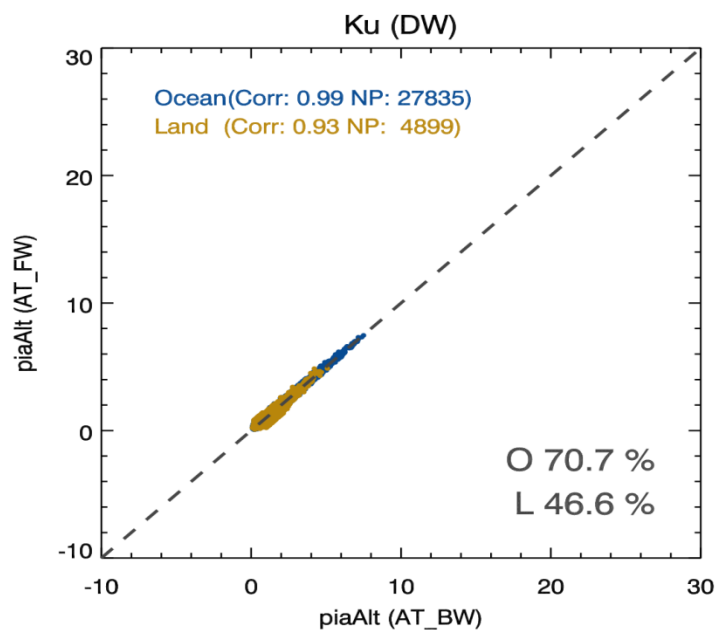
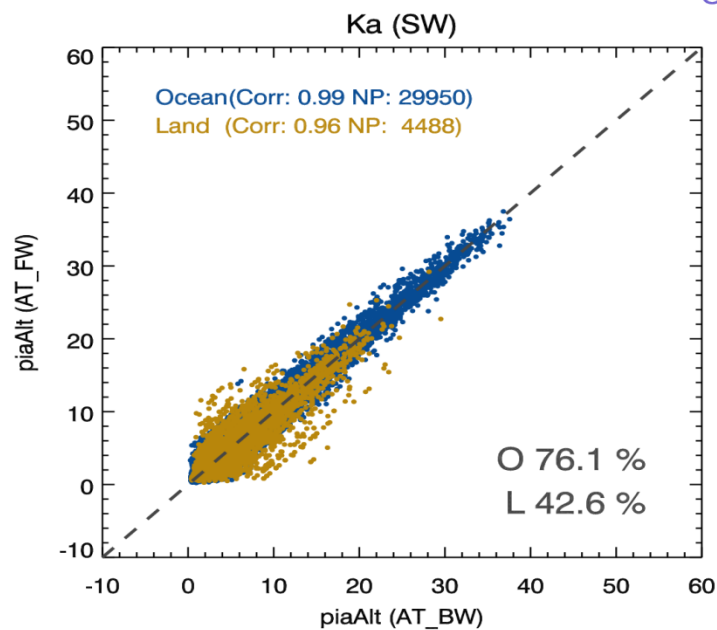
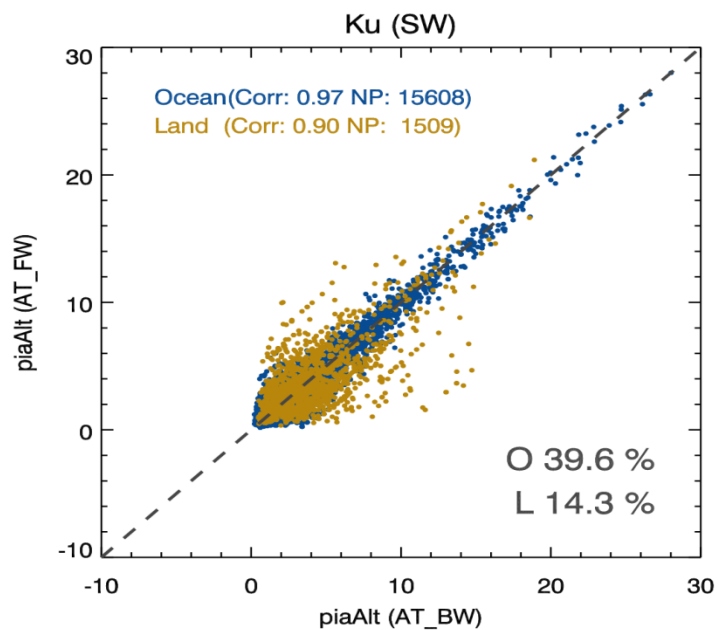


SON Statistics

GPM 2014/06/01-30 (Inside TRMM Orbit)
4.50° (Ku=31,Ka=19)

Rain Points (precipFlag@Ka)

Ocean:39374, Land:10523

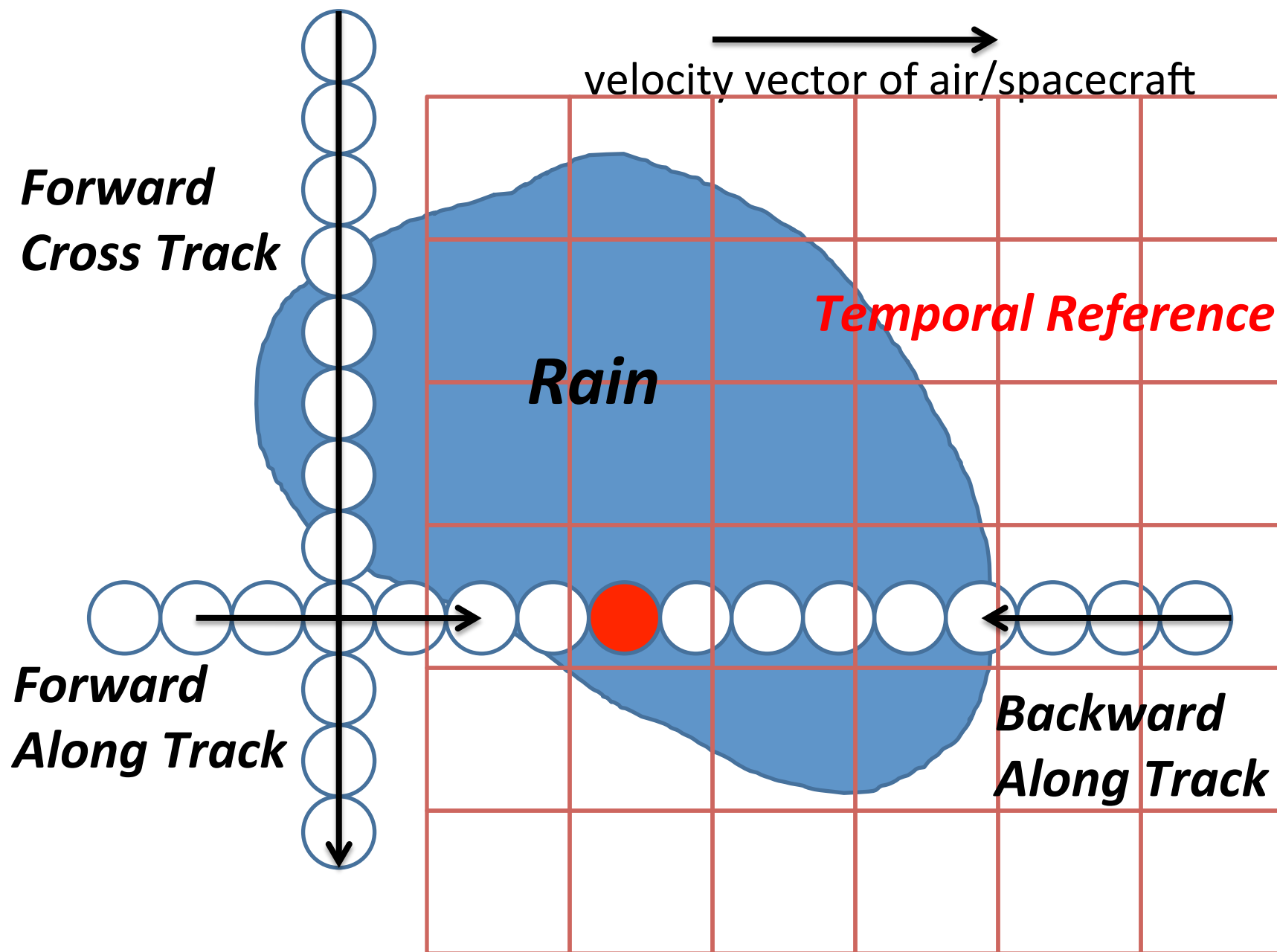


Overview

- However, there are several problems with DSRT
 - The dynamic range is limited to cases where Ka-band signal is detected:
 - Over ocean: 0.4% (nadir) to 0.8% (90°) of data is missed
 - Over land: 0.75% (nadir) to 2% (90°) of data is missed
 - Measurements are limited to the inner swath
 - The ratio $A(\text{Ka})/A(\text{Ku}) = p$ is needed to convert δA to $A(\text{Ku})$ and $A(\text{Ka})$
 - DSD data and matching of $A_{\text{DSRT}}(\text{Ka})$ to $A_{\text{SRT}}(\text{Ka})$ suggests $p = 6$ is a good approximation
 - Better approximation, based on data, is desirable

Issues/Improvements

- Generation of temporal reference data set
- Use of dual-freq information in outer swath
- Estimating the ratio $A(Ka)/A(Ku)$
- Direct Validation of the PIA Estimates
- Multi-beam (sub-FOV) & NUBF
- Reduction in variance of σ^0 at near-nadir inc.
- Implementation of wet-surface temp ref data



Temporal Reference Data

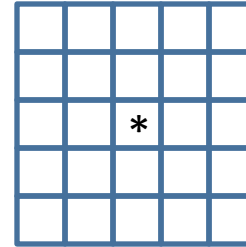
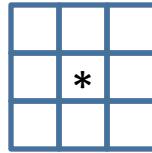
- ***Temporal look-up tables***
 - Mean, Std Dev & counts of prior rain-free σ^0 data categorized by location & incidence angle
 - Particularly useful near coastlines, rivers, islands, peninsulas
 - Not implemented in version 3 but will be in version 4
- ***Recalculation of Temporal Files (with latest calibration constants)***
 - Fixed grid, $0.5^\circ \times 0.5^\circ$
 - Four files, separated by season
 - DJF, MAM, JJA, SON
 - Each file comprised of 4 sub-files
 - Ocean, Land, Coast, All
 - Each sub-file contains the statistics of rain-free σ^0 for each of the 'channels'
 - Channels include: Ku, Ka, KaHS, Ka/Ku difference

Temporal Reference Data

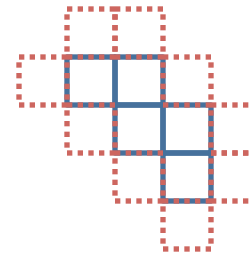
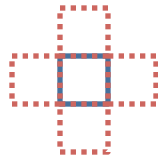
- Experiments with variable area-averages
 - Can we reduce the variance of the reference data relative to the fixed area-averaging boxes
 - We use a higher-resolution fixed grid but with variable area-averaging domains
 - the procedure consists of two steps
 - Start with a small area and expand until a sufficient number of samples is obtained ($N \geq N_{th}$) &
 - find a local minimum in the std dev (i.e., keep expanding area until std dev begins to increase)
 - We've looked at 3 ways of expanding the area
 - Uniform, Step-wise & Template

Temporal Reference Data

- Uniform
 - Simple expansion from 1 box to 3x3 to 5x5, etc
 - Stop when $N \geq N_{th}$ and std dev is a local minimum
- Step-wise
 - Add one box to the area, at each step, in such a way that the std dev of the data in the enlarged area is minimum
 - Stop when $N \geq N_{th}$ and std dev is a local minimum
- Template
 - For given number of boxes, construct all possible configurations
 - choose those configurations for which $N \geq N_{th}$; among these select the one with the smallest std dev
 - ‘template’ approach gives the minimum variance configuration but runs extremely slowly for large N



uniform

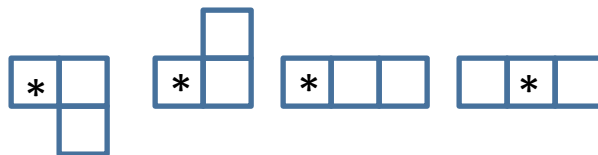


step-wise

1 to 2 boxes

5 to 6 boxes

3 boxes, 18
configurations



etc.

template

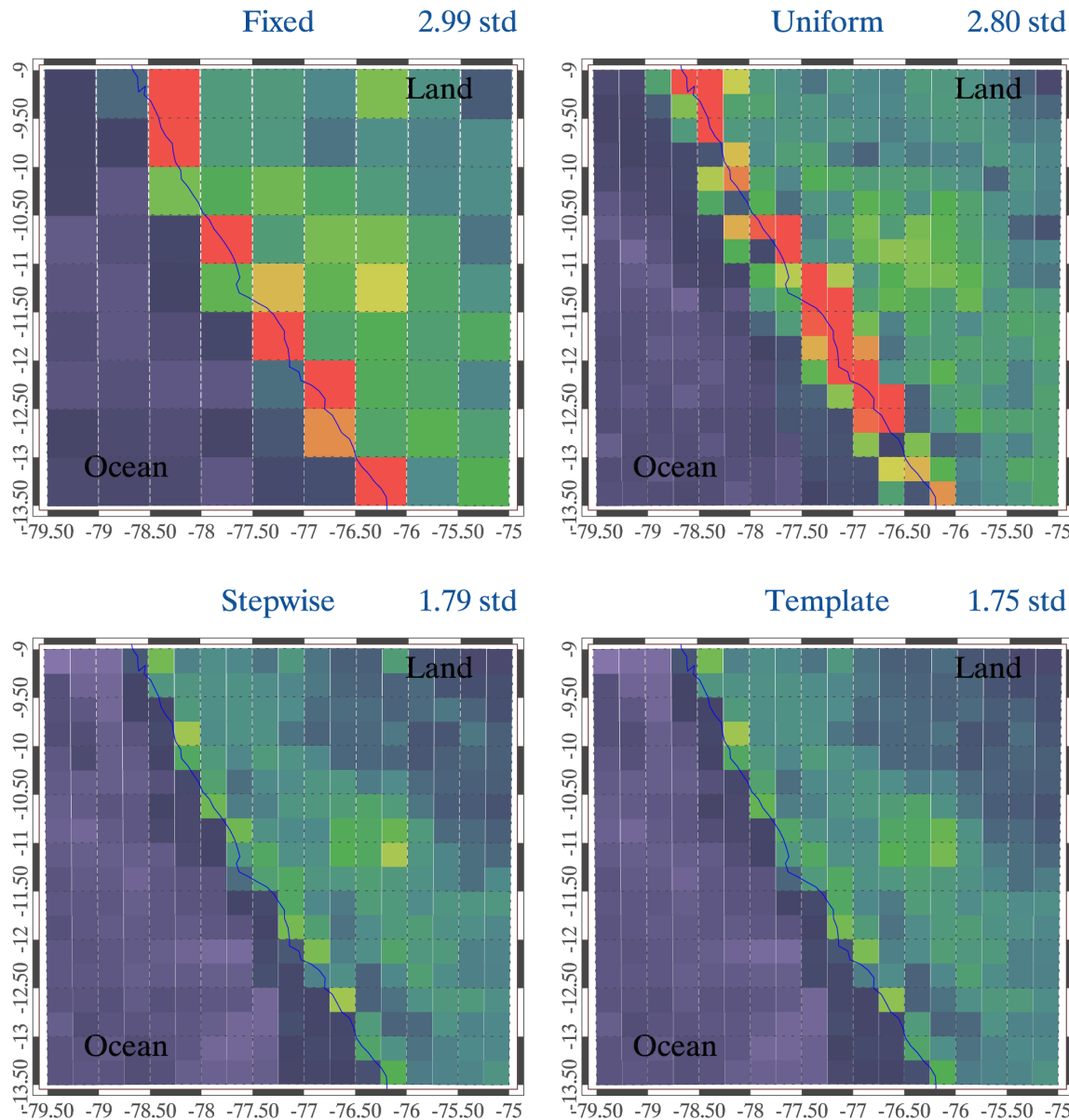
4 boxes, 76 configurations

5 boxes, 315 configurations

6 boxes, 1296 configurations...

9 boxes, 89,190 configurations...

Std Dev [$\sigma^0(\text{Ku})$], $\theta = 3.75^\circ$



4.5⁰ x 4.5⁰ map
Coast of Peru

Fixed grid: 0.5⁰ x 0.5⁰

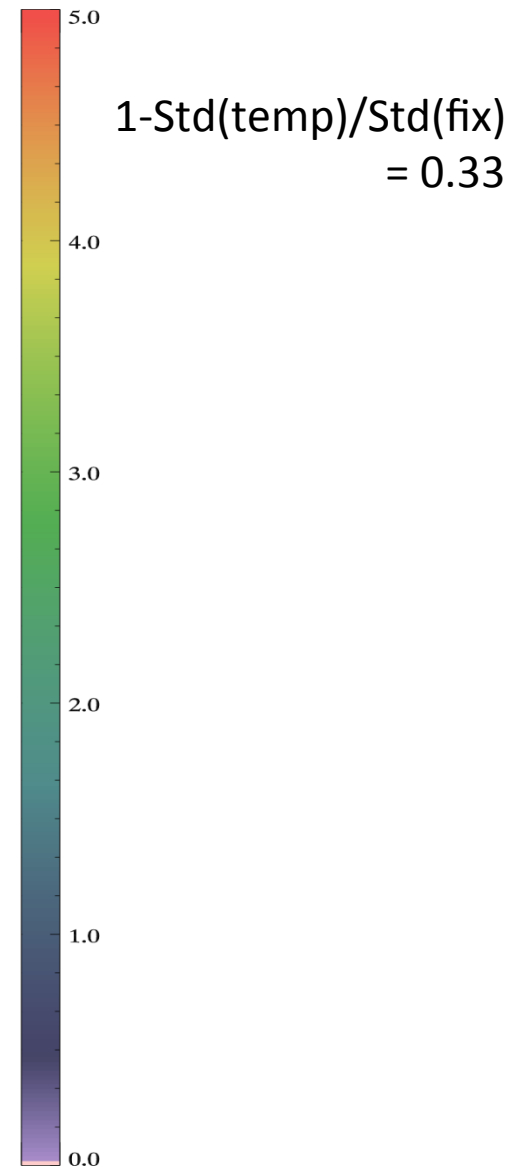
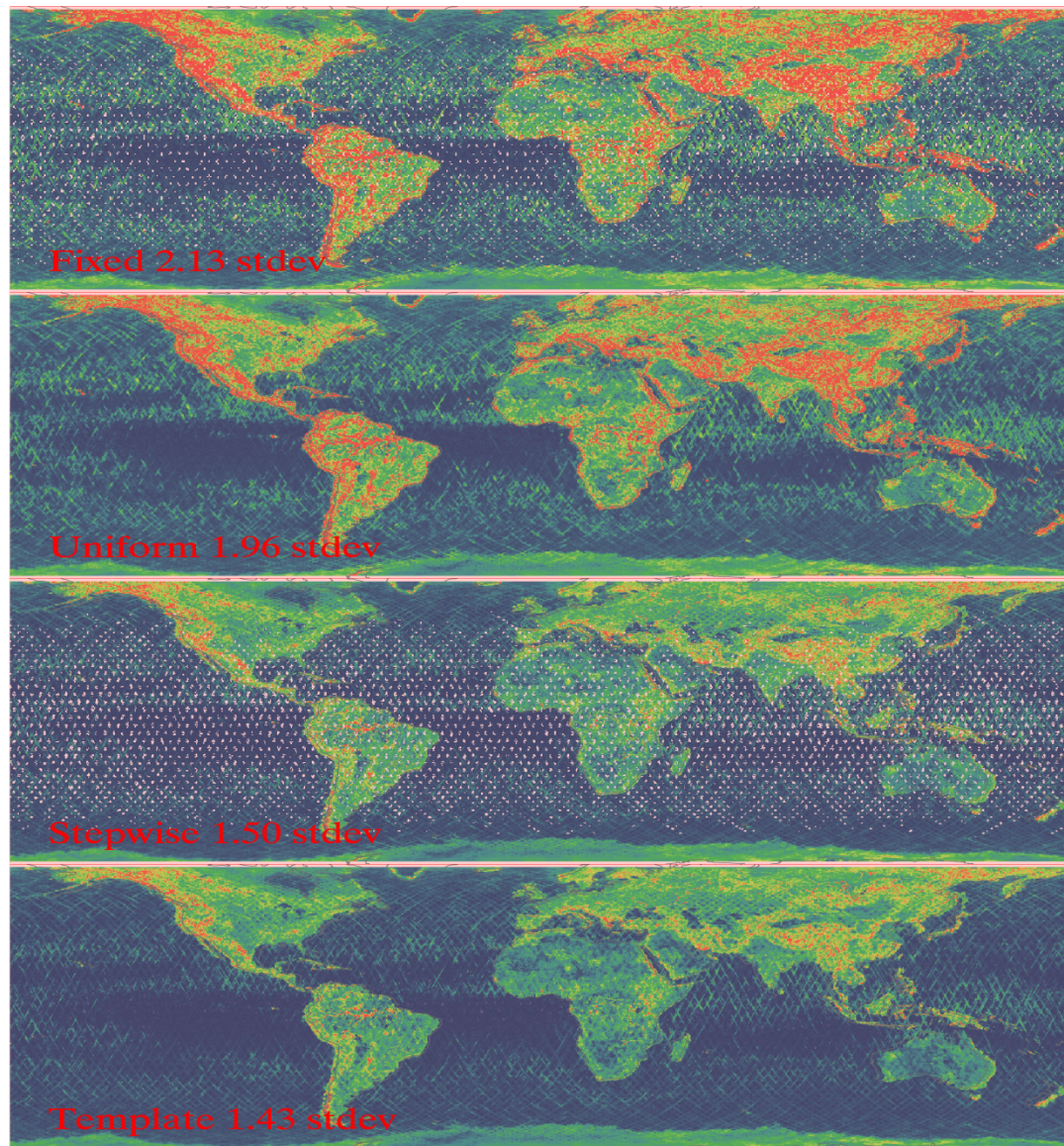
'Variable' grid:
0.25⁰ x 0.25⁰

No land-ocean-coast
separation

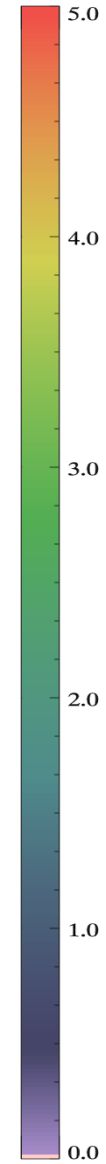
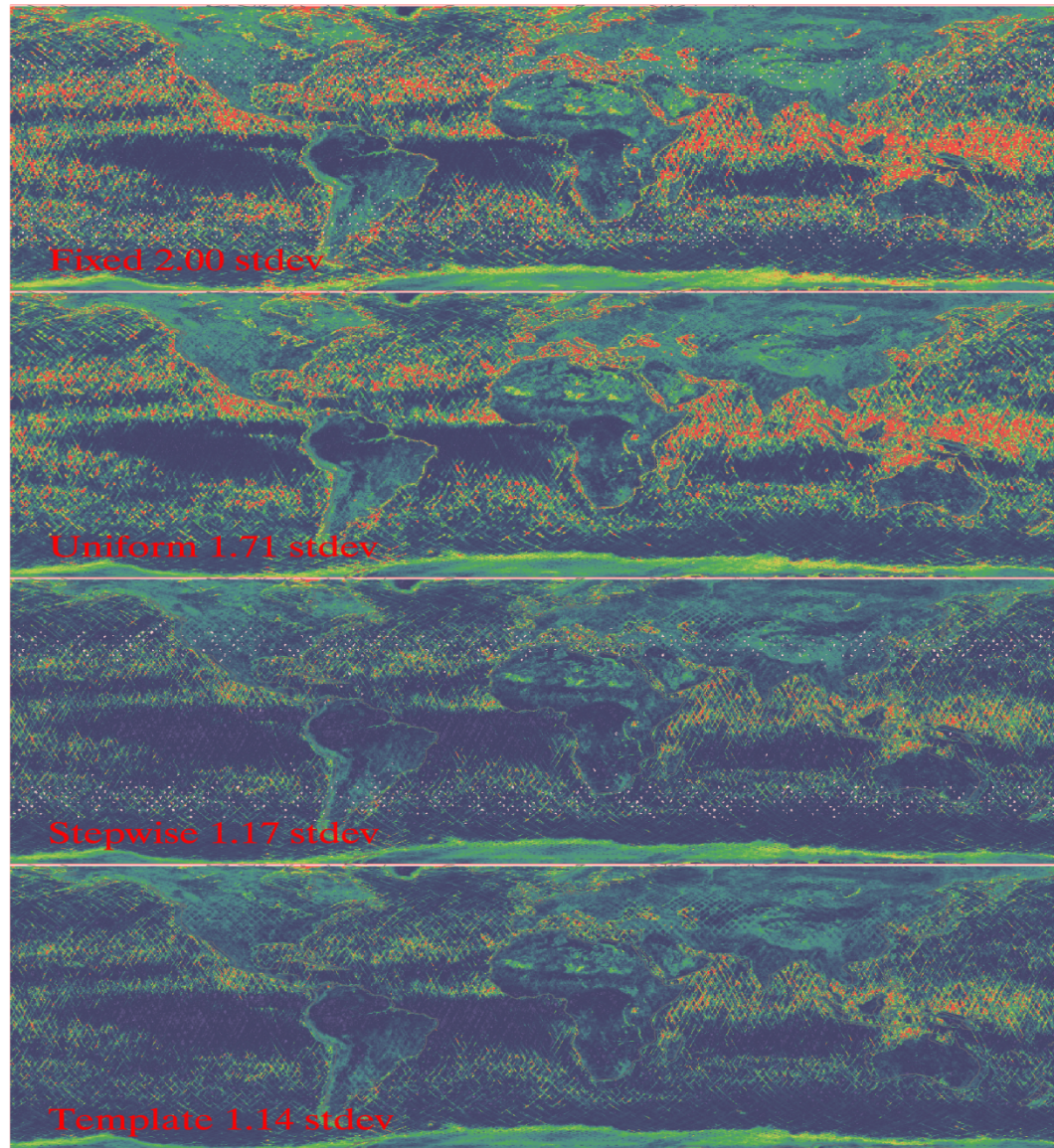
Maximum of 6 boxes
used for step-wise &
template results

1-Std(temp)/Std(fix)
= 0.41

2014/09-11 Stdev [σ^0 (Ku)], $\theta = 0.75^\circ$

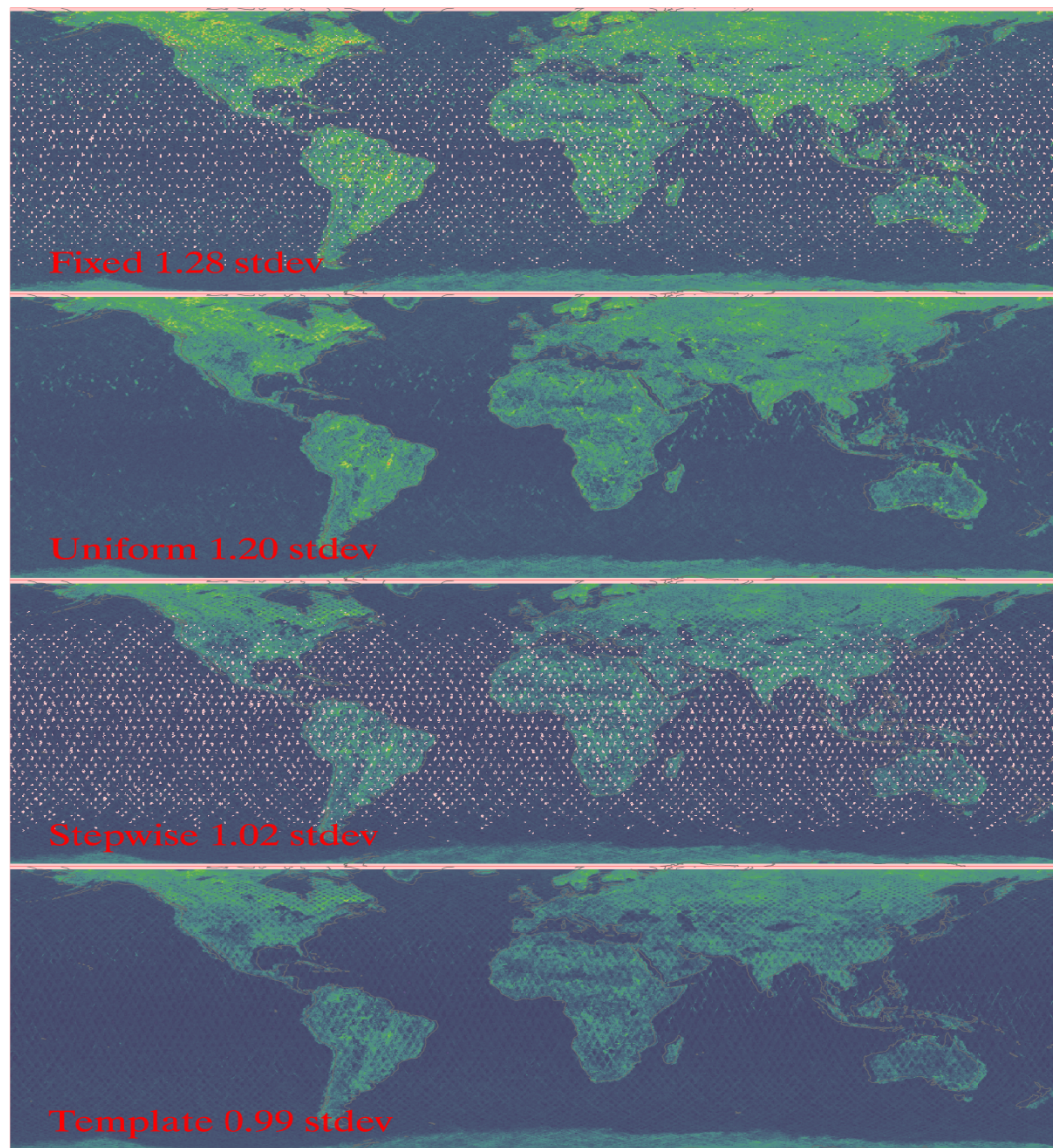


2014/09-11 Stdev [σ^0 (Ku)], $\theta = 15.00^\circ$



$$1 - \text{Std}(\text{temp}) / \text{Std}(\text{fix}) = 0.43$$

2014/09-11 Stdev [$\sigma^0(\text{DPR})$], $\theta = 0.75^\circ$



$$\frac{1-\text{Std}(\text{temp})}{\text{Std}(\text{fix})} = 0.23$$

Temporal Reference Data

- It appears that we can decrease average std dev assoc with the temporal reference (at Ku or Ka-band) by about 30-40% (going from fixed to step-wise or template)
- The decrease is smaller for the differential data: about 17-25%
- Many questions to be answered
 - What is the impact on PIA estimates?
 - How do the weights on the temporal change relative to spatial reference?
 - Do we see any minima if we take the step-wise to a much larger number of cells?
 - How do the results compare with other classification schemes?

Use of dual-freq info in outer swath

- As the dual-frequency estimate of $A(Ku)$ is considered more accurate, can we use information from inner swath for the outer swath (OS) path attenuation estimates?
- By matching SRT with DSRT PIA's either at the boundaries (13, 37) or the full inner swath, we can compute an offset to the Ku-band reference
- This offset can be used in the outer swath, providing a modified $PIA(Ku)$ in OS

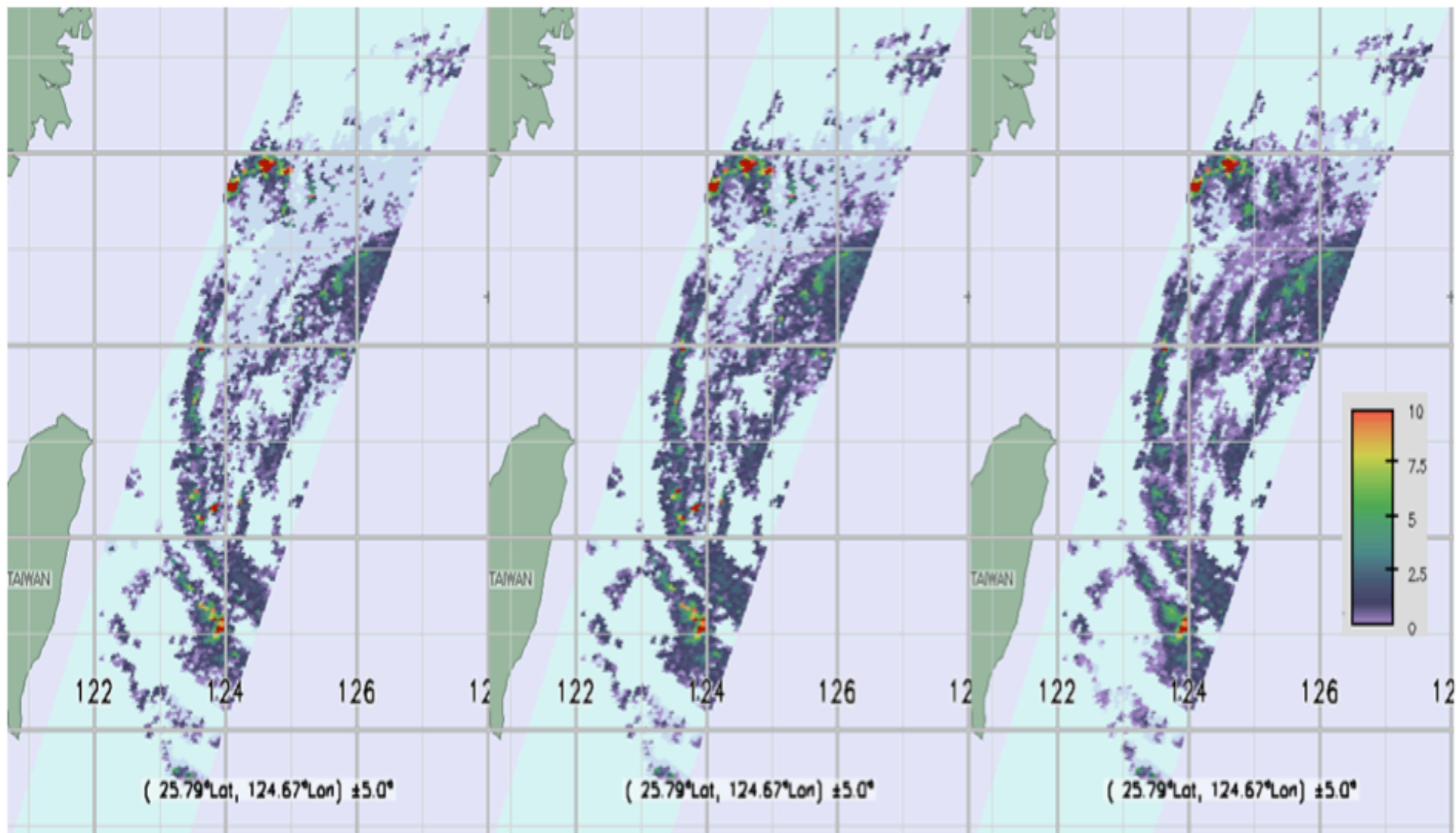
∠ 13

***Modify Ku-band reference data so that
 $\Sigma A(SF, Ku) = \Sigma A(DF, Ku)$ either along
∠13, ∠37 or full inner swath***

New reference = Old reference + Δ

***This Δ change is then applied to
Reference data in outer swath***

∠ 37



Left: Single-frequency Ku-band Estimate (full swath)

Center: Modified Single-frequency Ku-band Estimate (full swath)

Right: 'Best Estimate': DF(Ku) estimate in IS; modified SF in OS

(all estimates are derived from forward along-track ref data)

Using dual-freq information in the Outer Swath

- Although the example shown is encouraging, the examples done to date show varying degrees of success
- The critical assumption is that the differences between the SRT & DSRT seen in the inner swath can be used to modify the estimates in the outer swath – i.e., the biases are spatially correlated
- We need an independent assessment of the results to determine whether the approach is useful

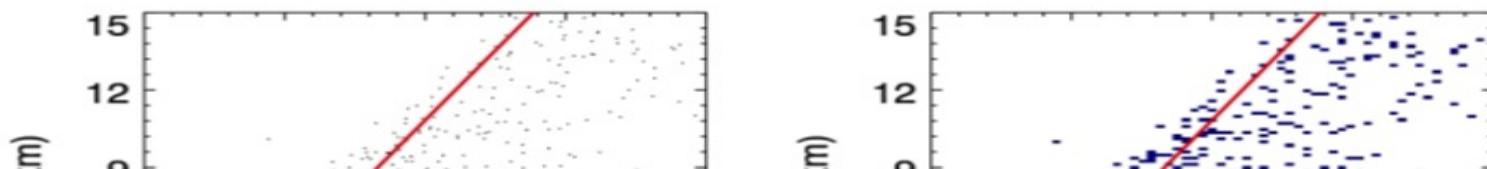
Estimating the ratio $A(Ka)/A(Ku)$

- Analysis of raindrop size distribution data suggests that $p=A(Ka)/A(Ku)=6$ is a good approximation
- Also, as $DSRT(Ka)$ depends on p but $SRT(Ka)$ does not: we can use 'good' data to choose p so that the RMS difference between $DSRT$ & $SSRT$ is minimized
 - This also yields $p \approx 6$
- Nevertheless, we would like something better that depends on the actual $Z_m(Ku)$, $Z_m(Ka)$ data

Iowa		Wallops			Swiss
APU	2DVD	APU	2DVD	Joss	Joss
N=70,186	N=25,026	N=52,521	N=49,898	N=15,273	N=14,978
p=4.84	p=5.41	p=5.90	p=6.68	p=6.44	p=6.34

$A(Ka)/A(Ku)$ Derived from Measured DSD

IFLOODS: 2DVD, nPoint= 25026



DSD data courtesy of Ali Tokay, Matthias Steiner

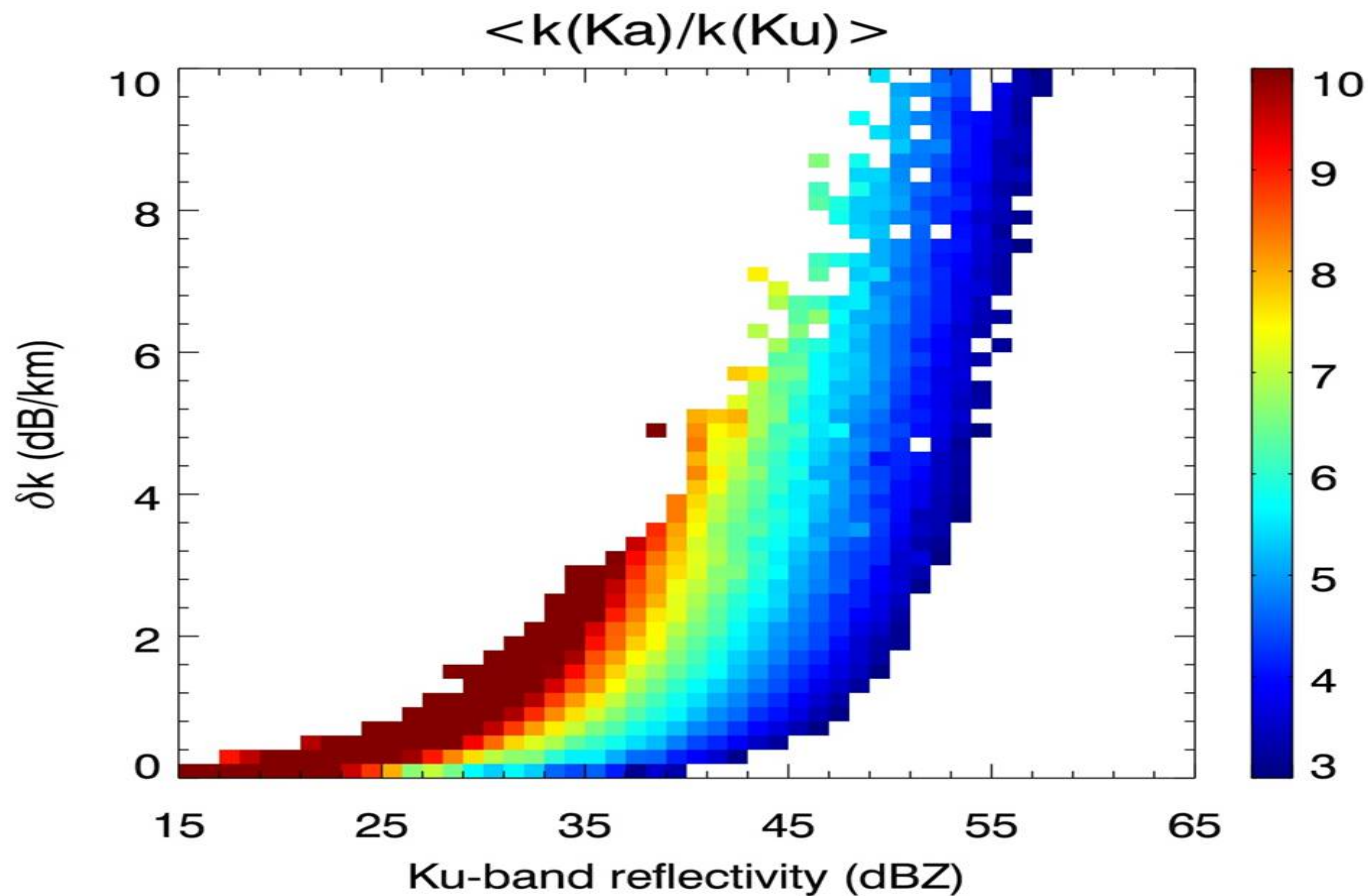
Estimating the ratio $A(Ka)/A(Ku)$

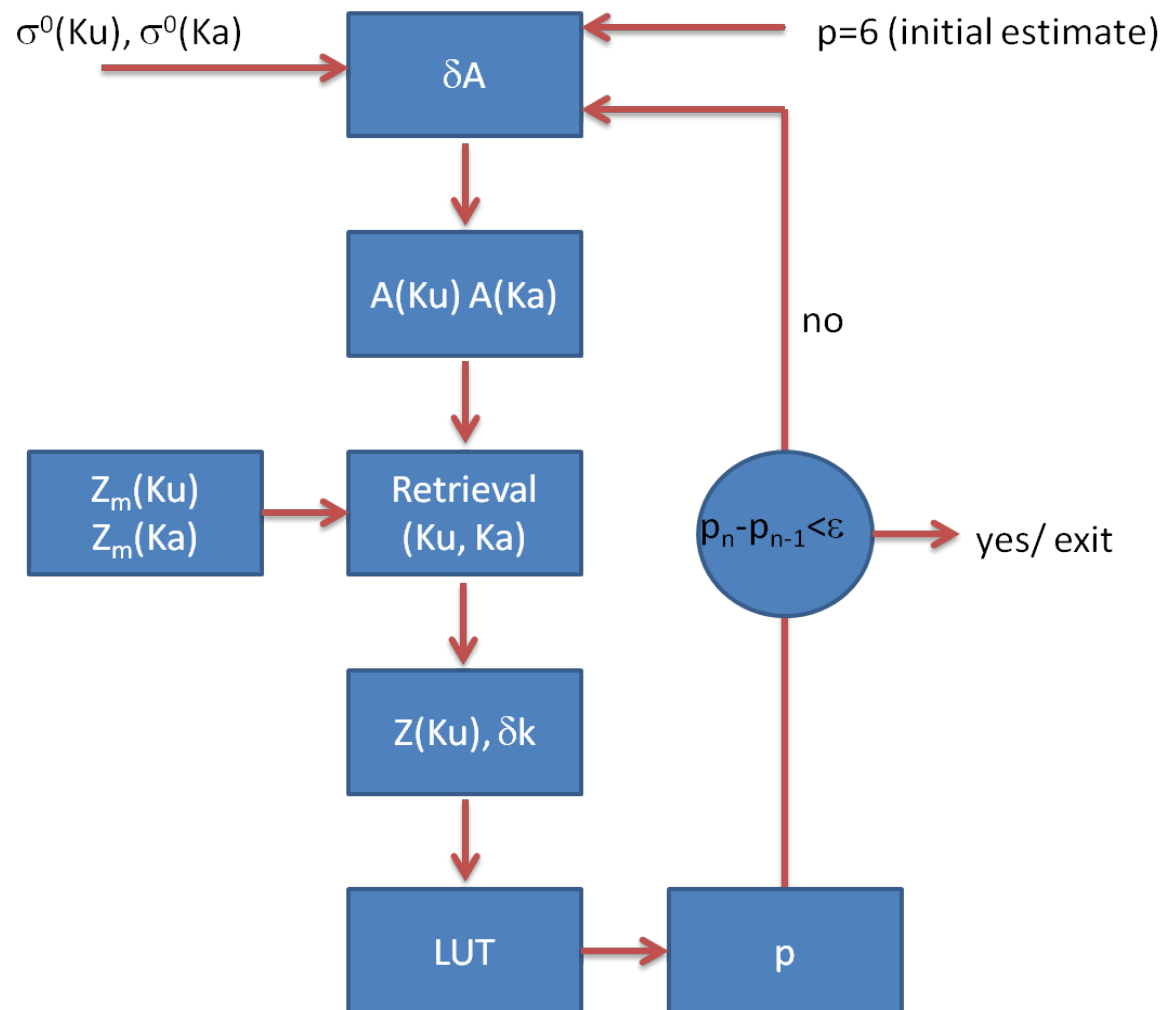
- Contour plots of p in the δk - $Z(Ku)$ plane suggests that p can be determined if δk & $Z(Ku)$ are known
- However, δk & $Z(Ku)$ are not directly measurable: requires attenuation correction at both freq's
- In principle, the p estimation could be implemented as an iterative procedure

The plot below shows that from $\delta k = k(Ka) - k(Ku)$ and $Z(Ku)$, the ratio p can be estimated

However, what we estimate is δA (the path integral of δk) and $Z_m(Ku)$, the measured rather than the actual Ku-band radar reflectivity

IFLOODS: APU, nPoint= 62287



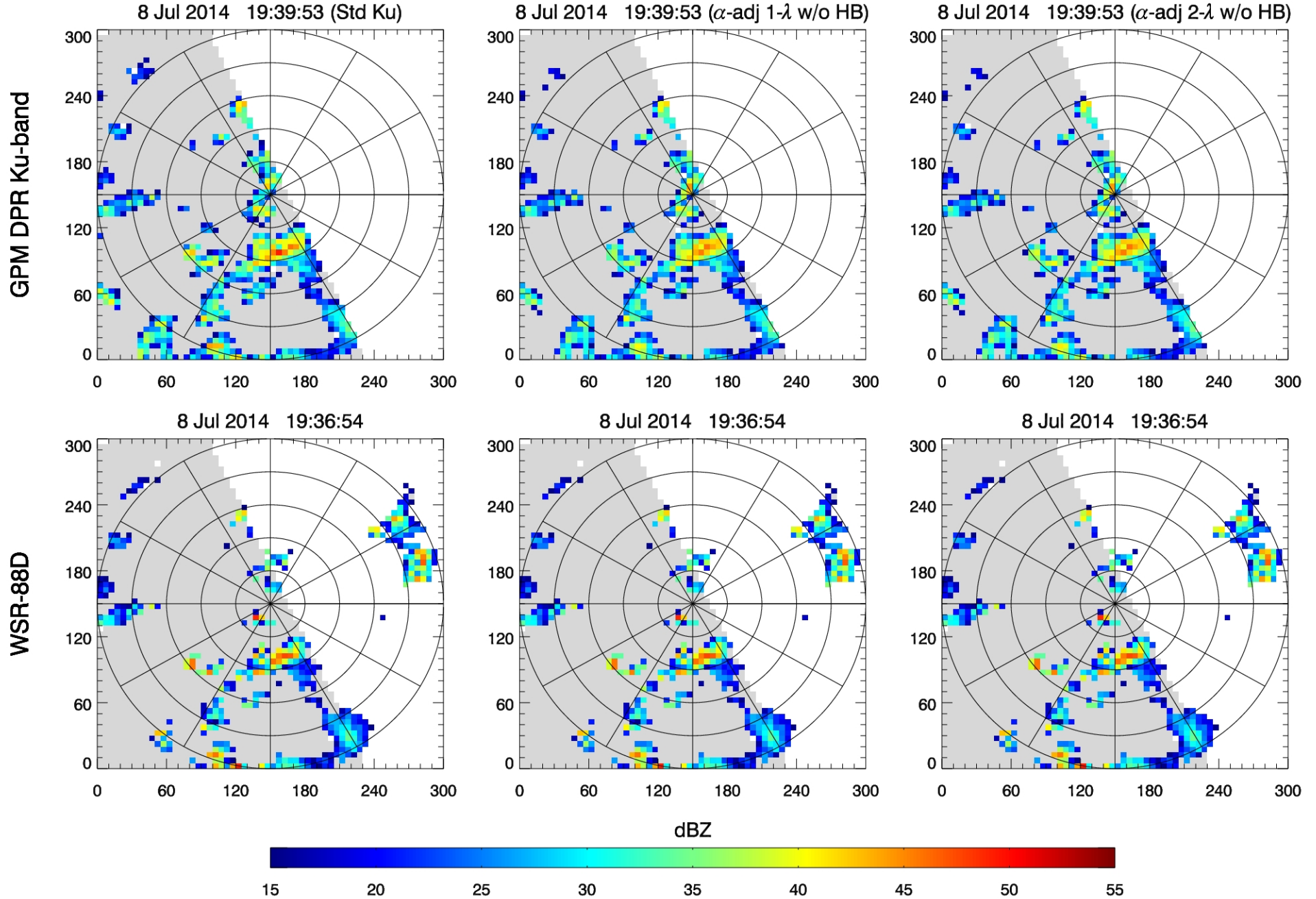


- *LUT can be derived from results shown in the previous slide*
- *Retrieval modules for Ku, Ka are needed to convert Z_m to Z*
- *Whether the procedure converges is not known*

Validation

- *How can we validate PIA estimates?*
 - Present & past solver modules use both HB & SRT
 - Comparisons of $Z(Ku)$ with $Z(S)$ are effective in validating PIA(final) but not necessarily PIA(SRT)
 - Need a solver module that uses SRT or HB but not both – *this has been done for α -adj & final value*
 - Identify well-calibrated GV radar site(s)
 - Require several years of overpass data
 - Use these data to evaluate SRT & DSRT
 - Also use data to evaluate any change in SRT algorithm

Radar Reflectivities from GPM DPR and WSR-88D in Melbourne, Florida (Height=3.0)



Summary

- **By most measures, the dual-frequency version of the SRT provides more accurate estimates of PIA**
 - Particularly true at Ku-band
- **Nevertheless, there are a number of improvements that would be desirable**
 - Lower variance temporal reference data sets
 - Use of dual-freq information in outer swath
 - Improved estimates of $A(Ka)/A(Ku)$
 - Use of multi-beam (sub-FOV) PIA estimates for NUBF
- **A more direct validation method is needed to assess any potential improvements**